

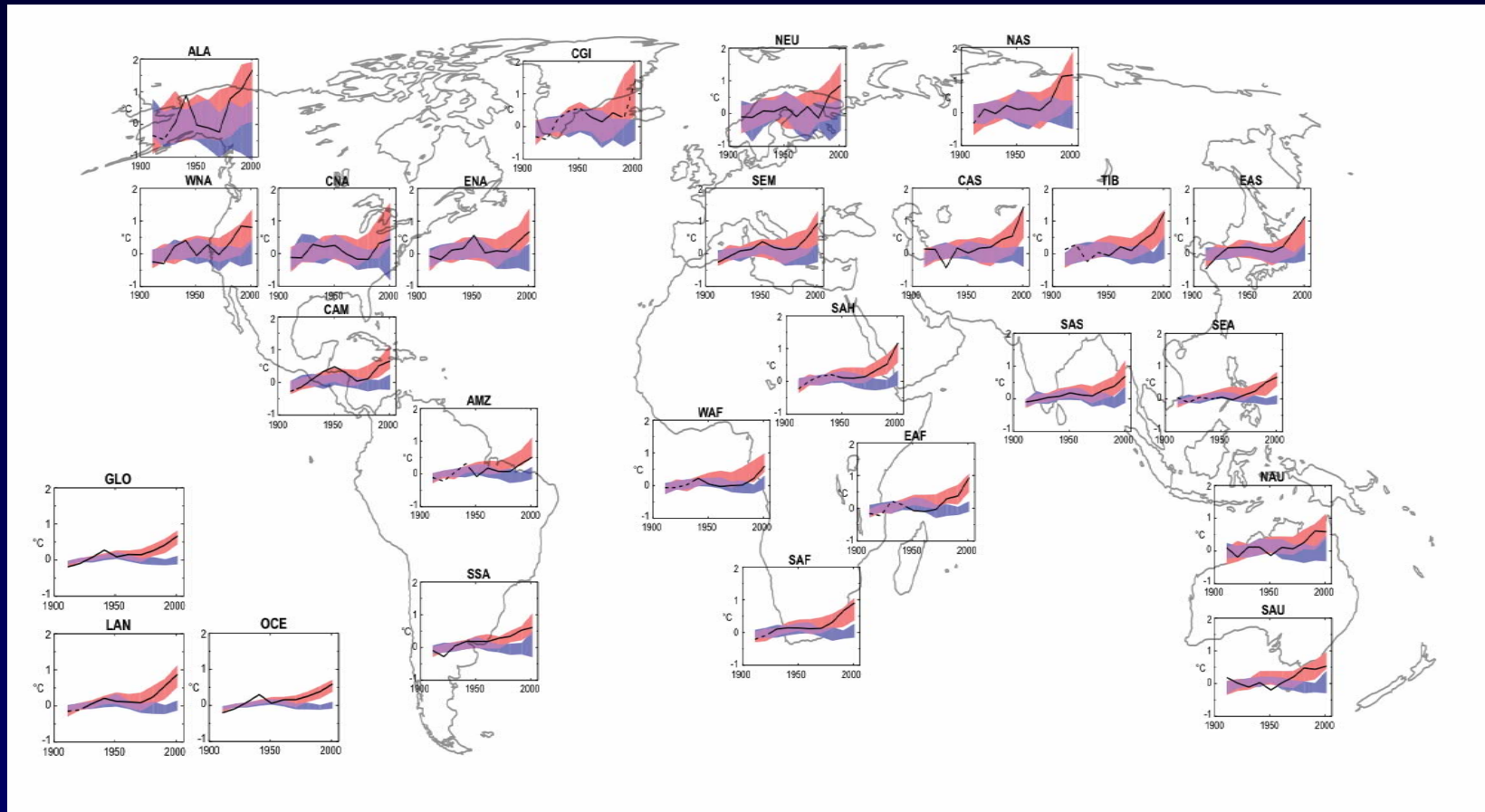
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# CLARREO and Climate Scalar Prediction

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April 30, 2008

# Scalar Prediction



Hegerl et al., IPCC AR4 Chapter 9

# Bayesian Ensemble Prediction Theory

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- Fluctuation-dissipation theorem suggests strong relationships between trends and second moments of climate, not mean state.
- Overall (transient) sensitivities of models might vary, but patterns of change are more robust.

$$P(d\alpha/dt \mid D, M) \propto \sum_i p(d\alpha/dt \mid D, m_i) p(m_i)$$

$$\forall m_i : \frac{d\mathbf{d}}{dt} = \left. \frac{d\mathbf{d}}{d\alpha} \right|_{m_i} \frac{d\alpha}{dt} + \frac{d}{dt} \delta\mathbf{n}$$

# Generalized Scalar Prediction

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$$\mathbf{F} = \left( \boldsymbol{\Sigma}_{\text{var}} + \boldsymbol{\Sigma}_{d\mathbf{d}/d\alpha} \right)^{-1} \mathbf{S} \left[ \overline{\mathbf{S}}^T \left( \boldsymbol{\Sigma}_{\text{var}} + \boldsymbol{\Sigma}_{d\mathbf{d}/d\alpha} \right)^{-1} \overline{\mathbf{S}} \right]^{-1}$$
$$\mathbf{s}_i = d\mathbf{d}/d\alpha_i, \quad \boldsymbol{\Sigma}_{d\mathbf{d}/d\alpha} = \sum_{i,j} \left\langle \frac{d\alpha_i}{dt} \frac{d\alpha_j}{dt} \boldsymbol{\delta}\mathbf{s}_i \boldsymbol{\delta}\mathbf{s}_j^T \right\rangle_{\text{models}}$$
$$\frac{d\boldsymbol{\alpha}}{dt} = \frac{d}{dt} \left( \mathbf{F}^T \mathbf{d}(t) \right)$$

**Extrapolate from the past**, searching for external indicators that are...

- **Physically robust**—there is significant agreement between models that the indicator's trend is strongly related to the target scalar's trend, and
- **Naturally quiet**—they are associated with minimal naturally occurring inter-annual variability.

# Generalized Scalar Prediction

$$\mathbf{F} = \left( \Sigma_{\text{var}} + \Sigma_{d\mathbf{d}/d\alpha} \right)^{-1} \mathbf{S} \left[ \mathbf{S}^T \left( \Sigma_{\text{var}} + \Sigma_{d\mathbf{d}/d\alpha} \right)^{-1} \mathbf{S} \right]^{-1}$$

“Contravariant fingerprint”

$$\mathbf{s}_i = d\mathbf{d}/d\alpha_i, \quad \Sigma_{d\mathbf{d}/d\alpha} = \sum_{i,j} \left\langle \frac{d\alpha_i}{dt} \frac{d\alpha_j}{dt} \delta \mathbf{s}_i \delta \mathbf{s}_j^T \right\rangle_{\text{models}}$$

“Fingerprint”

$$\frac{d\alpha}{dt} = \frac{d}{dt} (\mathbf{F}^T \mathbf{d}(t))$$

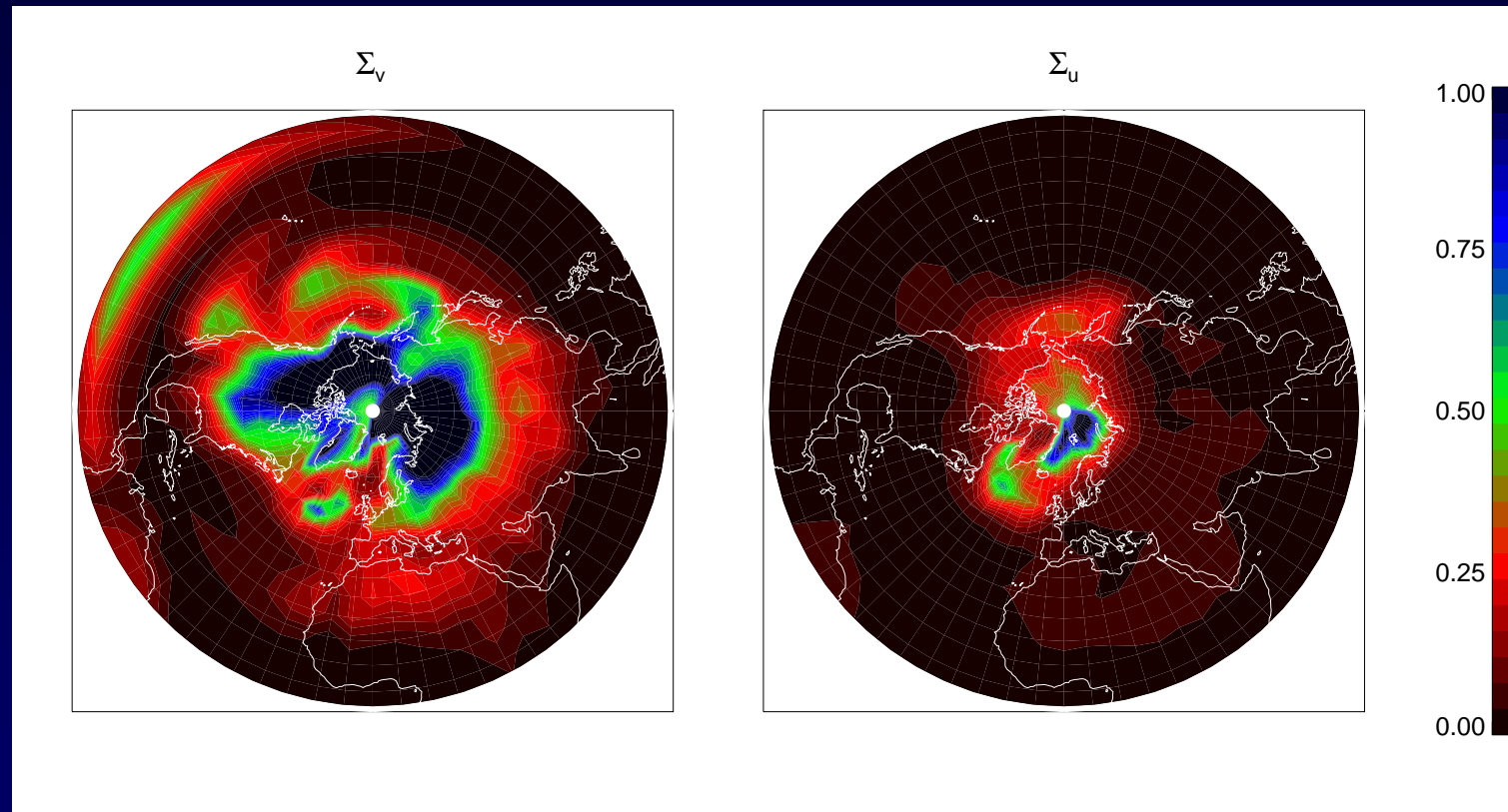
“Detectors”

Extrapolate from the past, searching for external indicators that are...

- **Physically robust**—there is significant agreement between models that the indicator’s trend is strongly related to the target scalar’s trend, and
- **Naturally quiet**—they are associated with minimal naturally occurring inter-annual variability.

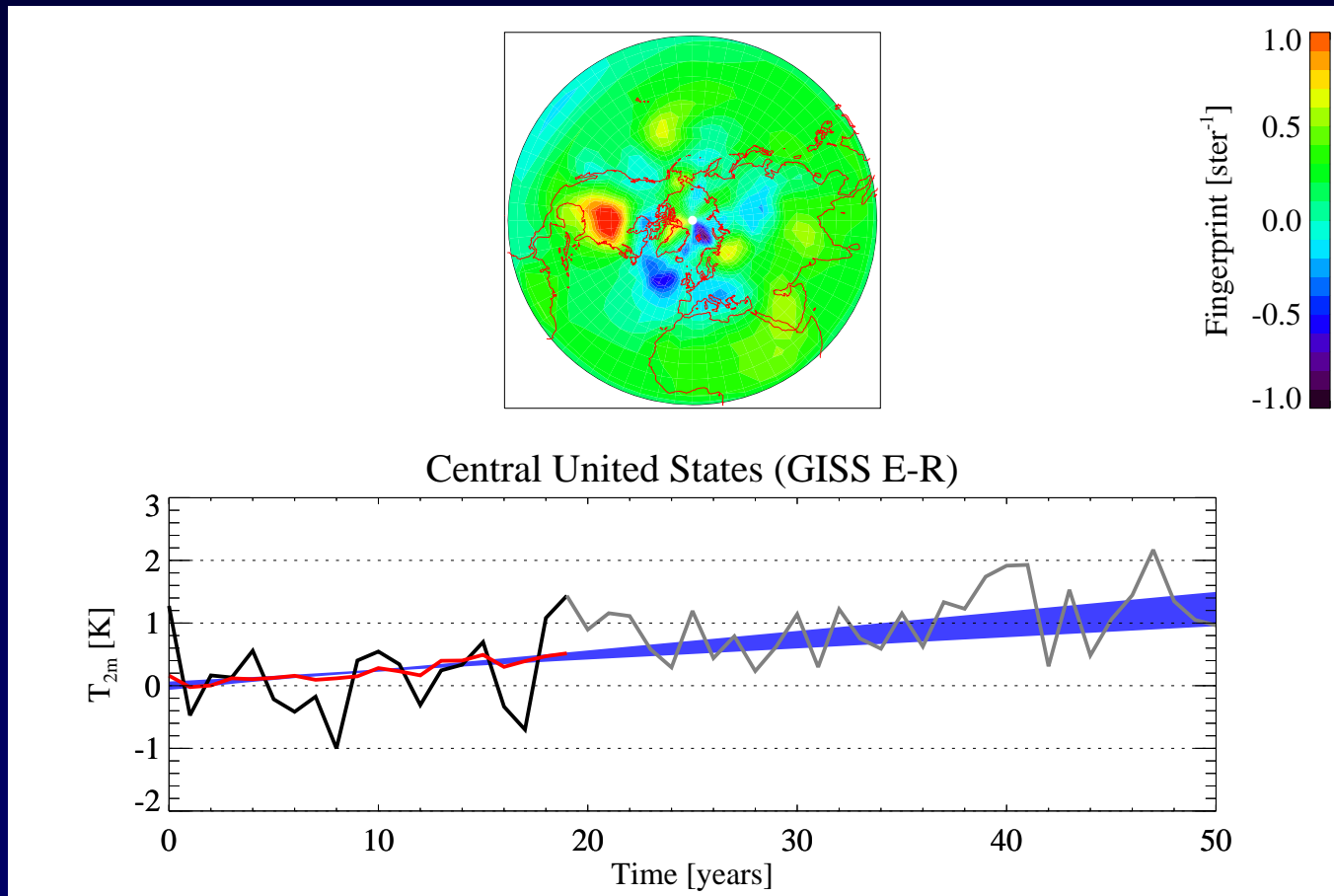
# Test of Technique: Central U.S. (1)

$\alpha$  = Central U.S. surface air temperature,  $\mathbf{d}$  = NH surface air temperature maps



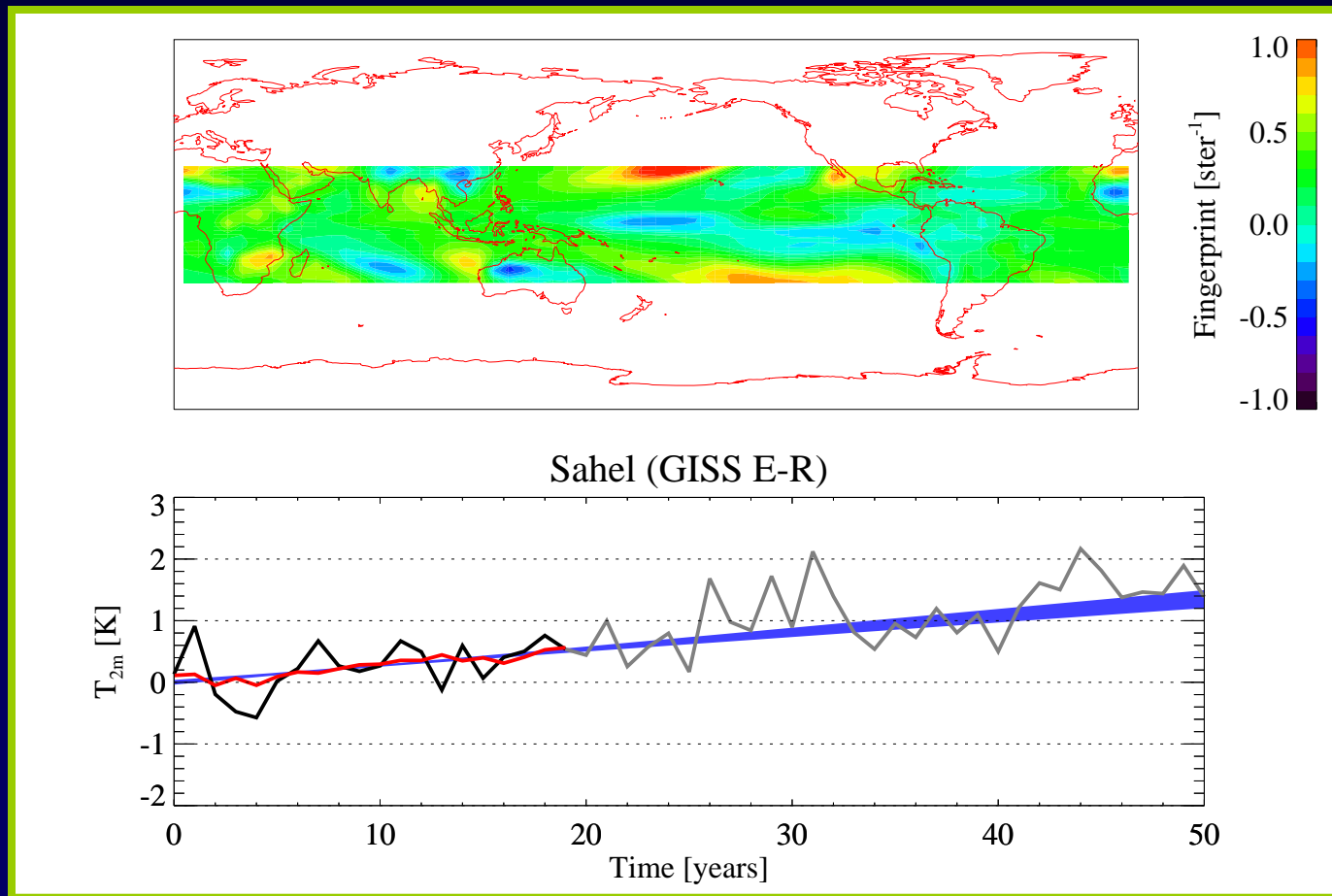
# Test of Technique: Central U.S. (2)

$\alpha$  = Central U.S. surface air temperature,  $\mathbf{d}$  = NH surface air temperature maps



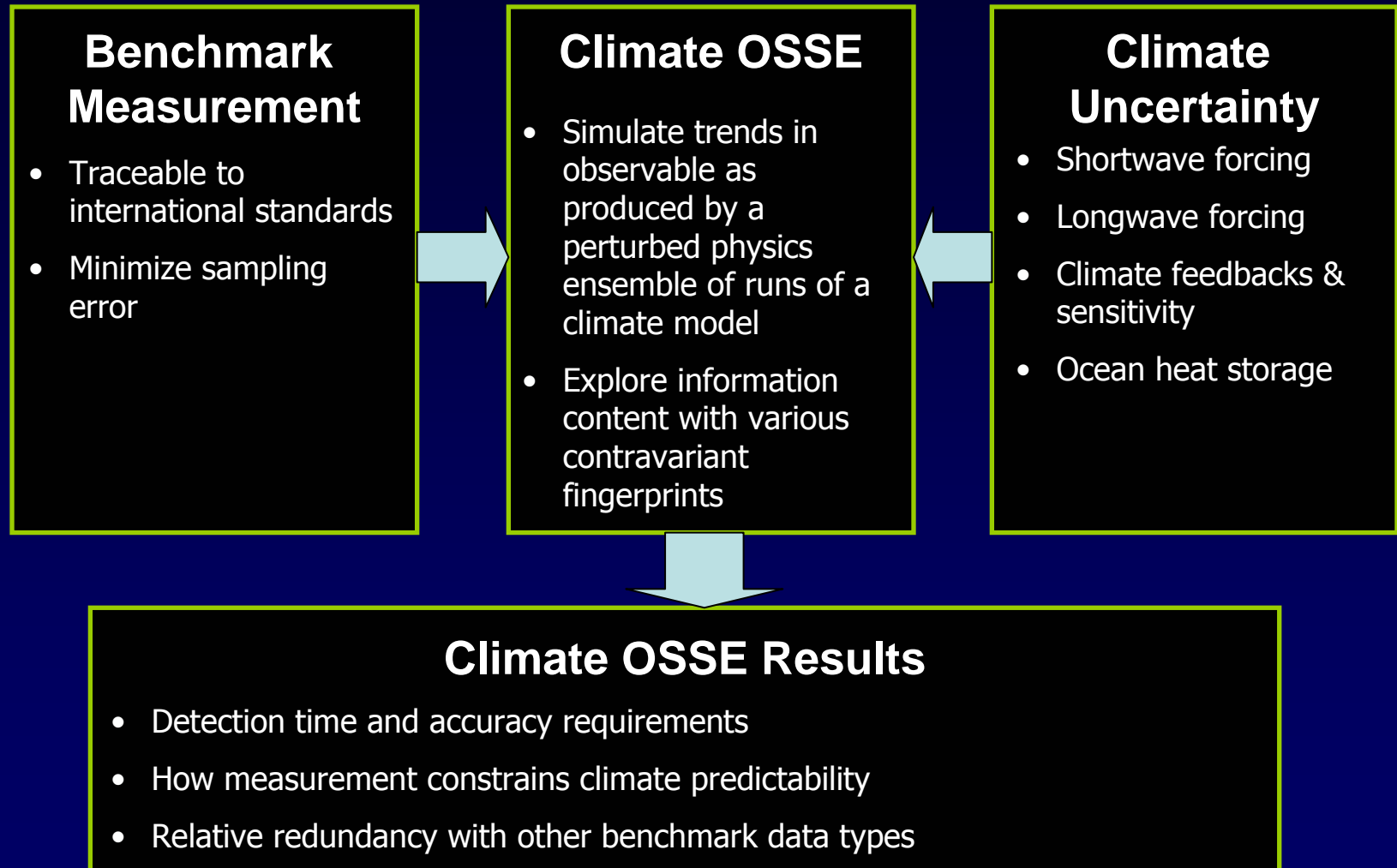
# Sahel Surface Air Temperature

$\alpha$  = Sahel surface air temperature,  $d$  = Tropical surface air temperature maps





# Climate OSSE: The Science of a Benchmark



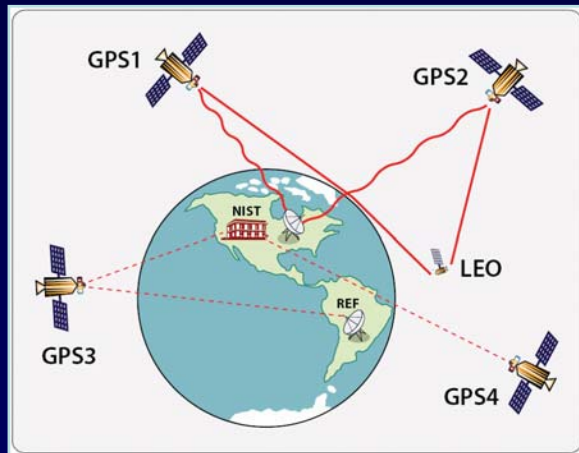
# CLARREO Conceptually

GNSS radio occultation measurements

Absolute spectrally resolved radiance in the thermal infrared

Solar irradiance: Incident and reflected

GPS Occultation: The Time Standard



- GNSS occultation is tied to ground-based atomic clock standards by double-differencing technique.
- NIST F1 measures time with fractional error of  $1.7 \cdot 10^{-15}$  (as of 1999).



Thermal Infrared Spectra

